

x = 5; y = 5;

Print ["k_{AB}=", k_{AB} = 30×10^{-6} , "m⁻³"]

Print ["k_{BC}=", k_{BC} = $\frac{200 \times 10^{-6}}{x}$, "m⁻³"]

Print ["k_{CD}=", k_{CD} = 20×10^{-6} , "m⁻³"]

Print ["(ANKM)_{BC}=", ANKMBC = $\frac{-x \times y}{8}$]

Print ["(ANKM)_{CB}=", ANKMCB = $\frac{x \times y}{8}$]

Print ["(ANKM)_{CD}=", ANKMCD = $-10 \times y$]

MAB = 12 000 × θ_B;

MBA = 24 000 × θ_B;

MBC = $\frac{160\,000}{x} \times \theta_B + \frac{80\,000}{x} \times \theta_C + \text{ANKMBC}$;

MCB = $\frac{160\,000}{x} \times \theta_C + \frac{80\,000}{x} \times \theta_B + \text{ANKMCB}$;

MCD = 12 000 × θ_C + ANKMCD;

TETA = Inverse $\left[\begin{pmatrix} 24\,000 + \frac{160\,000}{x} & \frac{80\,000}{x} \\ \frac{80\,000}{x} & 12\,000 + \frac{160\,000}{x} \end{pmatrix} \right] \cdot \begin{pmatrix} -\text{ANKMBC} \\ -\text{ANKMCD} - \text{ANKMCB} \end{pmatrix}$;

Print ["θ_B=", θ_B = Part[TETA, 1, 1] // N]

Print ["θ_C=", θ_C = Part[TETA, 2, 1] // N]

Print ["M_{AB}=", MAB // N, "kNm"]

Print ["M_{BA}=", MBA // N, "kNm"]

Print ["M_{BC}=", MBC // N, "kNm"]

Print ["M_{CB}=", MCB // N, "kNm"]

Print ["M_{CD}=", MCD // N, "kNm"]

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Print["-----Alternatif
      Kabul (Hareketli Sistem)-----"]
x = 1; y = 71;

Print["kAB=", kAB = 30 × 10-6, "m-3"]
Print["kBC=", kBC =  $\frac{200 \times 10^{-6}}{x}$ , "m-3"]
Print["kCD=", kCD = 20 × 10-6, "m-3"]
Print["(ANKM)BC=", ANKMBC =  $\frac{-x \times y}{8}$ ]
Print["(ANKM)CB=", ANKMCB =  $\frac{x \times y}{8}$ ]
Print["(ANKM)CD=", ANKMCD = -10 × y]
MAB = 12 000 × θB - 36 000 ψ;
MBA = 24 000 × θB - 36 000 ψ;
MBC =  $\frac{160\,000}{x} \times \theta_B + \frac{80\,000}{x} \times \theta_C + \text{ANKMBC}$ ;
MCB =  $\frac{160\,000}{x} \times \theta_C + \frac{80\,000}{x} \times \theta_B + \text{ANKMCB}$ ;
MCD = 12 000 × θC + ANKMCD;

TETA = Inverse  $\left[ \begin{array}{ccc} 24\,000 + \frac{160\,000}{x} & \frac{80\,000}{x} & 36\,000 \\ \frac{80\,000}{x} & 12\,000 + \frac{160\,000}{x} & 0 \\ 36\,000 & 0 & 72\,000 \end{array} \right] \cdot \begin{pmatrix} -\text{ANKMBC} \\ -\text{ANKMCD} - \text{ANKMCB} \\ 75 \times y \end{pmatrix}$ ;

Print["θB=", θB = Part[TETA, 1, 1] // N]
Print["θC=", θC = Part[TETA, 2, 1] // N]
Print["ψ=", ψ = -Part[TETA, 3, 1] // N]
Print["MAB=", MAB // N, "kNm"]
Print["MBA=", MBA // N, "kNm"]
Print["MBC=", MBC // N, "kNm"]
Print["MCB=", MCB // N, "kNm"]
Print["MCD=", MCD // N, "kNm"]

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x = 1; y = 71;

$$\text{Print} ["DS_{BA}=", DS_{BA} = \frac{\left(\frac{3}{x}\right)}{\left(\frac{3}{x}\right) + \left(\frac{3}{5}\right) + \left(\frac{4}{x}\right)} // N]$$

$$\text{Print} ["DS_{BC}=", DS_{BC} = \frac{\left(\frac{3}{5}\right)}{\left(\frac{3}{x}\right) + \left(\frac{3}{5}\right) + \left(\frac{4}{x}\right)} // N]$$

$$\text{Print} ["DS_{BD}=", DS_{BD} = \frac{\left(\frac{4}{x}\right)}{\left(\frac{3}{x}\right) + \left(\frac{3}{5}\right) + \left(\frac{4}{x}\right)} // N]$$

$$\text{Print} ["DS_{DB}=", DS_{DB} = \frac{\left(\frac{4}{x}\right)}{\left(\frac{4}{x}\right) + \left(\frac{3}{5}\right)} // N]$$

$$\text{Print} ["DS_{DE}=", DS_{DE} = \frac{\left(\frac{3}{5}\right)}{\left(\frac{4}{x}\right) + \left(\frac{3}{5}\right)} // N]$$

$$\text{Print} ["ANKM_{BA}=", ANKM_{BA} = \frac{y \times x^2}{8} // N]$$

$$\text{Print} ["ANKM_{BD}=", ANKM_{BD} = \frac{-y \times x^2}{12} // N]$$

$$\text{Print} ["ANKM_{DB}=", ANKM_{DB} = \frac{y \times x^2}{12} // N]$$

$$S1_{BA} = (-ANKM_{BA} - ANKM_{BD}) \times DS_{BA};$$

$$S1_{BC} = (-ANKM_{BA} - ANKM_{BD}) \times DS_{BC};$$

$$S1_{BD} = (-ANKM_{BA} - ANKM_{BD}) \times DS_{BD};$$

$$S1_{DB} = -ANKM_{DB} \times DS_{DB};$$

$$S1_{DE} = -ANKM_{DB} \times DS_{DE};$$

$$S2_{BA} = \left(-S1_{DB} / 2\right) \times DS_{BA};$$

$$S2_{BC} = \left(-S1_{DB} / 2\right) \times DS_{BC};$$

$$S2_{BD} = \left(-S1_{DB} / 2\right) \times DS_{BD};$$

$$S2_{DB} = \left(-S1_{BD} / 2\right) \times DS_{DB};$$

$$S2_{DE} = \left(-S1_{BD} / 2\right) \times DS_{DE};$$

$$S3_{BA} = \left(-S2_{DB} / 2\right) \times DS_{BA};$$

$$S3_{BC} = \left(-S2_{DB} / 2\right) \times DS_{BC};$$

$$S3_{BD} = \left(-S2_{DB} / 2\right) \times DS_{BD};$$

$$S3_{DB} = \left(-S2_{BD} / 2\right) \times DS_{DB};$$

$$S3_{DE} = \left(-S2_{BD} / 2\right) \times DS_{DE};$$

$$S4_{BA} = \left(-S3_{DB} / 2\right) \times DS_{BA};$$

$$S4_{BC} = \left(-S3_{DB} / 2\right) \times DS_{BC};$$

$$S4_{BD} = \left(-S3_{DB} / 2\right) \times DS_{BD};$$

$$S4_{DB} = \left(-S3_{BD} / 2\right) \times DS_{DB};$$

$$S4_{DE} = \left(-S3_{BD} / 2\right) \times DS_{DE};$$

$$S5_{BA} = \left(-S4_{DB} / 2\right) \times DS_{BA};$$

$$S5_{BC} = \left(-S4_{DB} / 2\right) \times DS_{BC};$$

$$S5_{BD} = \left(-S4_{DB} / 2\right) \times DS_{BD};$$

$$S5_{DB} = \left(-S4_{BD} / 2\right) \times DS_{DB};$$

$$S5_{DE} = \left(-S4_{BD} / 2\right) \times DS_{DE};$$

$$BA = ANKMBA + S1BA + S2BA + S3BA + S4BA + S5BA$$

$$BC = S1BC + S2BC + S3BC + S4BC + S5BC$$

$$BD = ANKMBD + S1BD + (S1DB / 2) + S2BD + (S2DB / 2) + S3BD + (S3DB / 2) + S4BD + (S4DB / 2) + S5BD$$

$$DB = ANKMDB + S1DB + (S1BD / 2) + S2DB + (S2BD / 2) + S3DB + (S3BD / 2) + S4DB + (S4BD / 2) + S5DB$$

$$DE = S1DE + S2DE + S3DE + S4DE + S5DE$$

$x = 7; y = 47;$

$$\text{SIS} = \begin{pmatrix} \left(\frac{4 \times 0.354}{x} + \frac{1}{x} \right) & 0 \\ 0 & \left(\frac{4 \times 0.354}{x} \right) \end{pmatrix};$$

$$\text{dep} = \text{Inverse}[\text{SIS}] \cdot \begin{pmatrix} 0 \\ -y \end{pmatrix};$$

$$\text{k1} = \begin{pmatrix} \frac{-0.354}{x} & \frac{-0.354}{x} \\ \frac{-0.354}{x} & \frac{-0.354}{x} \end{pmatrix} \cdot \text{dep} // \text{MatrixForm}$$

$$\text{k2} = \begin{pmatrix} \frac{-0.354}{x} & \frac{0.354}{x} \\ \frac{0.354}{x} & \frac{-0.354}{x} \end{pmatrix} \cdot \text{dep} // \text{MatrixForm}$$

$$\text{k3} = \begin{pmatrix} \frac{-1}{x} & 0 \\ 0 & 0 \end{pmatrix} \cdot \text{dep} // \text{MatrixForm}$$

$$\text{k4} = \begin{pmatrix} \frac{-0.354}{x} & \frac{-0.354}{x} \\ \frac{-0.354}{x} & \frac{-0.354}{x} \end{pmatrix} \cdot \text{dep} // \text{MatrixForm}$$

$$\text{k5} = \begin{pmatrix} \frac{-0.354}{x} & \frac{0.354}{x} \\ \frac{0.354}{x} & \frac{-0.354}{x} \end{pmatrix} \cdot \text{dep} // \text{MatrixForm}$$

$$\text{k6} = \begin{pmatrix} \frac{-1}{x} & 0 \\ 0 & 0 \end{pmatrix} \cdot \text{dep} // \text{MatrixForm}$$